

Information Ordering

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Introduction

Algorithms

Coherence Metrics

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2. Algorithms
3. Coherence Metrics

A Simple Artifact Description

Towards the end of the archaic period, coins were used for transactions. This particular coin, which comes from that period, is a silver stater from Croton, a Greek Colony in South Italy.

On both the obverse and the reverse side there is a tripod (vessel standing on three legs), Apollo's sacred symbol. Dates from between 530-510 BC.

(All examples from Karamanis & Manurung, 2002)

Extracted Facts

- ▶ use-coins(archaic-period)
- ▶ creation-period(ex5, archaic-period)
- ▶ madeof(ex5, silver)
- ▶ name(ex5, stater)
- ▶ origin(ex5, croton)
- ▶ concept-description(croton)
- ▶ exhibit-depicts((ex5, sides), tripod)
- ▶ concept-description(tripod)
- ▶ symbol(tripod, apollo)
- ▶ dated(ex5, 530-510bc)

Natural Language Generation

(1) Towards the end of the archaic period, coins were used for transactions. (2) This coin comes from the archaic period. (3) It is made of ...

The Simple Algorithm

Given a list of entity sets f_0 ,

$$\operatorname{argmax}_{f_n \in S_{f_0}} M(f_n)$$

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Given a list of entity sets f_0 ,

$$\operatorname{argmax}_{f_n \in S_{f_0}} M(f_n)$$

... explained

1. for each permutation f_n of f_0
2. compute its coherence according to a metric M
3. keep f_n for which M is maximal

A Simple Coherence Metric: NOCB

Count all utterances that refer to at least one entity from the utterance that precedes it.

A Simple Coherence Metric: NOCB

Count all utterances that refer to at least one entity from the utterance that precedes it.

... formalized

$$\text{nocb}(U_0, \dots, U_n) := |\{x : 0 < x \leq n \wedge Cf(U_{x-1}) \cap Cf(U_x) \neq \emptyset\}|$$

Example

(0) Towards the end of the archaic period, coins were used for transactions.

Example

(0) Towards the end of the **archaic period**, coins were used for transactions. (1) This coin comes from the **archaic period**.

Example

(0) Towards the end of the archaic period, coins were used for transactions. (1) This **coin** comes from the archaic period. (2) **It** is made of silver.

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(0) Towards the end of the archaic period, coins were used for transactions. (1) This coin comes from the archaic period. (2) **It** is made of silver. (3) **It** is called a stater.

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Example

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Example

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$$\text{nocb}(U_0, \dots, U_7) = 6$$

The ordering is suboptimal!

Complexity Considerations

MY HOBBY: EMBEDDING NP-COMPLETE PROBLEMS IN RESTAURANT ORDERS

CHOTCHKIES RESTAURANT

APPETIZERS

MIXED FRUIT	2.15
FRENCH FRIES	2.75
SIDE SALAD	3.35
HOT WINGS	3.55
MOZZARELLA STICKS	4.20
SAMPLER PLATE	5.80

SANDWICHES

BARBECUE	6.55
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Taken from <http://xkcd.com/287/>

$O(n!)$ complexity

10 entity sets mean $10! = 3,628,800$ possible orderings. 20 sets can be arranged in 2,432,902,008,176,640,000 different orderings.

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The Task

Find an algorithm which frees us from having to look at all possible orderings to find at least one *good* ordering.

Basic Idea

Evolutionary Algorithms (EA) try to find (near-)optimal solutions based on selection and gradual random improvement of *individuals* and stop when

- ▶ the population converges or
- ▶ a specified number of iterations is reached.

Evolutionary Search Algorithm

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$n = 0$

randomly generate initial population $P[0]$

```
n = 0
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do:
  compute nocb for all p in P[n]
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```
n = 0
randomly generate initial population P[0]
do:
  compute nocb for all p in P[n]
  create P[n+1] by
    mutating good orderings
    combining two good orderings
    copying best orderings
```

```
n = 0
randomly generate initial population P[0]
do:
  compute nocb for all p in P[n]
  create P[n+1] by
    mutating good orderings
    combining two good orderings
    copying best orderings
  n += 1
until P converges or n > max_generations
```

Karamanis & Manurung, 2002:

Text name	size	Target	Mean	Max
stater	10	7	6.482	8.0
tetradrachm	10	8	7.602	9.0
drachma	11	9	8.384	10.0
kouros	18	13	14.022	17.0
amphora	20	17	15.328	19.0
hydria	23	20	16.783	20.8 (!)

Experiment Setup

4000 generations, 50 individuals, elitist ratio of 0.2, only Crossover, 10 repetitions.

Comparing Coherence Metrics

For the evaluation, treat a number of existing texts *as if* they were generated according to a given coherence metric M .

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Finding a Better Coherence Metric

Comparing Coherence Metrics

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The Classification Rate

Given a sequence of entity sets B and a metric M , the *classification rate* v is defined as

$$v(M, B) = \text{Better}(M) + \frac{\text{Equal}(M)}{2}$$

$\text{Better}(M)$ and $\text{Equal}(M)$ are the percentages of orderings that are, according to M , better than or equal to B .

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M.NOCB

$$\forall n > 0 \ Cf_{n-1} \cap Cf_n \neq \emptyset$$

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M.NOCB

$$\forall n > 0 \text{ } Cf_{n-1} \cap Cf_n \neq \emptyset$$

M.CHEAP

$$\forall n > 0 \text{ } CP_{n-1} = CB_n$$

CP_n : The referent of the first NP in an utterance.

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M.KP

Combination of M.NOCB, M.CHEAP, $\forall n \text{ } CB_n = CP_n$ (salience) and $\forall n > 0 \text{ } CB_n = CB_{n-1}$ (coherence)

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M.BFP

CONTINUE > RETAIN > SMOOTH-SHIFT

CP_n : The referent of the first NP in an utterance.

Comparing Two Metrics M_a, M_b

Take n B

- ▶ for each B_i , compute $v(M_a, B_i)$ and $v(M_b, B_i)$
- ▶ the metric with the lower score is better for this utterance

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M.NOCB is

Competitor	better	equal	worse
M.CHEAP	18	0	2
M.KP	16	2	2
M.BFP	12	5	3

$n = 20$

(Results from Karamanis, Poesio et al., 2004)

Information Ordering with Local Coherence

- ▶ the desired order of information in a text can be modelled with notions from Centering Theory
- ▶ good orderings can be found quickly using evolutionary search algorithms

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Problems with Local Coherence

Orderings found using local coherence metrics might still be incoherent to a human reader.

Thank You!

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Questions?